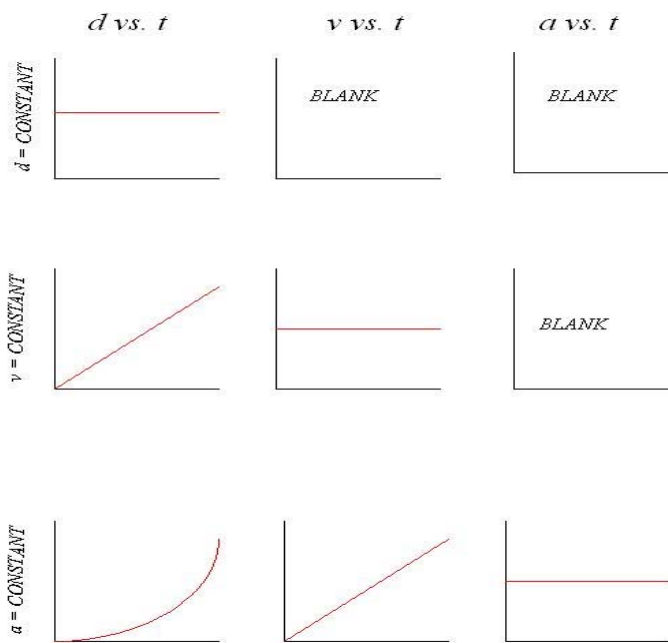


STUDY GUIDE SECOND QUARTER QUIZ (Date = 12-15-06)

aka FUNDAMENTAL /CRITICAL RELATIONSHIPS / CONCEPTS OF INTRODUCTORY PHYSICS (to date)

Prior to utilizing this document the student should be fluent in all POD's & WOD's assigned to date. This recommendation notwithstanding, there may be problems on the quiz/test, which cover salient points of PSII, not directly highlighted herein.

1. **Scalar Quantities** – Those requiring only magnitude for sufficient description.
2. **Vector Quantities** – Those requiring magnitude and direction for sufficient description.
3. **Basic SI (System International) Units** are **Meters, Kilograms, Seconds** and fluency with the **Factor Label Method** of units conversion and solution arrangement. See reference links page for further information.
4. **Average Speed** (or *Velocity if direction is constant and distance equals displacement*) = $V_{AVG} = \frac{[\text{Total Distance}]}{[\text{Total Time}]} = \frac{[\Delta d]}{[\Delta t]}$ {*Not generally the average of the speeds or velocities.*}
5. **Velocity** = Speed with a specific direction = Rate of change of displacement = $V = \frac{[\Delta d]}{[\Delta t]}$. **Note also that the slope of a displacement versus time graph is equivalent to the associated velocity for the involved object.**
6. **Acceleration** = $a = \text{Rate of change of Velocity} = \frac{\Delta V}{\Delta t} = \frac{(V_f - V_i)}{\Delta t}$ (*From this one can rearrange to get $V_f = V_i + a(\Delta t)$ or when $V_i = 0$ then $V_f = a(\Delta t)$ assuming a is constant.) **Note also that the slope of a velocity versus time graph is equivalent to the associated acceleration for the involved object.***
7. When **acceleration is constant**, average Velocity = $V_{AVG} = \frac{[V_f + V_i]}{2}$
8. Position/Displacement, Velocity & Acceleration Graphs as follows:



9. The area under a velocity versus time graph is equivalent to the displacement of the object.

10. Newton's Three Laws of Motion are:

I. All bodies will stay in motion (*at constant velocity*) or at rest, unless acted upon by an outside force - aka the **Law of Inertia**.

II. The acceleration of an object is directly proportional to the Force applied and inversely proportional to its Mass - aka $F = ma$.

III. For every action force there is an equal and opposite reaction force - **aka a force pair**. Each of these forces, of the force pair, acts on a different object.

11. Force = (mass) x (acceleration), especially $\Sigma F = (m)(a) \Rightarrow$ aka Newton's Second Law of Motion. It says that the sum of the forces on any object (*i.e. the net force*) is equal to the mass times the acceleration of the object (in Newtons) - where *one* Newton = an acceleration of *one* [Meter / s²] times a mass of *one* [Kilogram].

12. Weight Force = (mass) x (acceleration of gravity) = (m) (g) = (m) | (-9.81 meters/s²) | in Newtons.

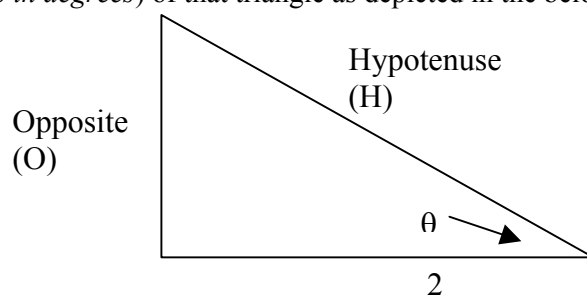
13. **Newton's Law of Gravitation:** Force between two objects is proportional to the product of their masses and inversely proportional to the square of the distance between them.

14. **Kinematics** (*a.k.a. Equations of Motion -for Constant a*) **Summary** - The following equations, for motion of an object (*that has an initial velocity of zero*) in *one direction* are provided below; where "V" represents velocity, "a" represents a constant acceleration, "**delta D**" represents the total displacement, "**delta t**" represents the change in time, subscript "i" represents the associated initial parameter, "f" represents the associated final parameter, subscript "AVG" means average - all in that *one direction*.

$$V_{AVG} = [\text{Total Distance} / \text{Total Time}]$$
$$V_{AVG} = [V_f + V_i] / 2 \text{ (for constant "a")}$$
$$a = [\Delta V / \Delta t] = (V_f - V_i) / \Delta t$$
$$V_f = V_i + (a)(\Delta t)$$
$$\Delta D = V_i(\Delta t) + (1/2)(a)(\Delta t)^2$$

15. **Right Triangle Trigonometry for "Vector" Analysis** (*i.e. for the below pictured Right "Vector" Triangle*) the following information applies:

OPPOSITE, ADJACENT, HYPOTENUSE - Sides of a right triangle in relationship to one of the acute angles (*e.g. θ in degrees*) of that triangle as depicted in the below figure;



Adjacent (A)

In this regard the following information applies: $\sin(\theta) = O/H$, $\cos(\theta) = A/H$, $\tan(\theta) = O/A$ & $\sin^{-1}(O/H) = \theta$, $\cos^{-1}(A/H) = \theta$, $\tan^{-1}(O/A) = \theta$.

16. **Work** = Force_{||} x Displacement = [F_{||}] [Δd] (*Where the Force is in parallel with the direction of the displacement.*)
17. **Energy is the ability to do Work.** The units of Energy & Work are **Joules**.
18. **Potential Energy** due to height = (m)(g)(Δh). **Kinetic Energy** due to velocity = $\frac{1}{2}(m)(V^2)$.
19. **Power** = [Work / Δt] = [Energy / Δt]. **Units of Power** are Joules per Second or **Watts**. Alternatively Power times time equals Energy.
21. **Conservation of Energy:** Energy output of any given process cannot exceed the energy input to that process. Efficiency (η) of any machine or process = (Work Out)/(Work In) x 100% = (Energy Out)/(Energy In) x 100%, and is always less than “1” unless an ideal machine or process is involved.