

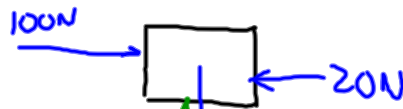


CROSS HATCHING

FBD = FREE BODY DIAGRAM
USUALLY REPRESENTS A FIXED SURFACE.

A/a

$m = 5 \text{ kg}$



W → weight of any object
= mass × "g"
(kg) $\frac{\text{m}}{\text{s}^2}$
= -9.81

$$W = mg = (5)(9.81) = 49.05 \text{ N}$$

F_N N → NORMAL

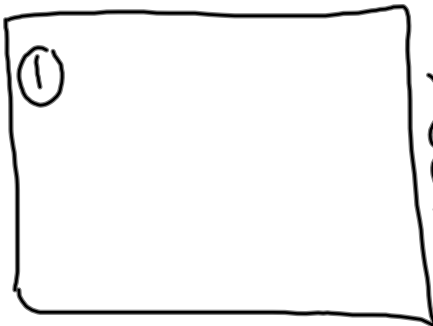
TOTAL FORCE ON BOX
IN THE "X" DIRECTION
= NET FORCE IN "X" DIRECTION
= +80 N

$$\underbrace{\sum F_x}_{\text{NET FORCE}} = ma_x$$

$$+80 \text{ N} = ma_x$$

$$+80 = 5 a_x$$

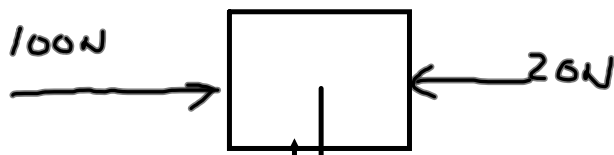
$$a_x = 16 \text{ m/s}^2$$



FOR TOMORROW'S TEST
ALL WORK RELATING TO ANY
GIVEN PROBLEM MUST BE
BOXED/LABELLED.

SI = MKS

$$m = 5 \text{ kg}$$



W → weight, measured in Newtons

$$F_N \quad W = mg = (5 \text{ kg}) \left(9.8 \frac{\text{m}}{\text{s}^2} \right) = 49.05 \text{ N}$$

$$1 \text{ N} = (1 \text{ kg}) \left(\frac{1 \text{ m}}{\text{s}^2} \right)$$

$$\sum F_x = ma_x$$

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NET FORCE

$$+100\text{N} - 20\text{N} = m a_x$$

80N

$$80\text{N} = 5 \text{ kg}(a_x)$$

$$a_x = 16 \text{ m/s}^2$$

125 MPH \rightarrow TERMINAL VELOCITY

HOW LONG DOES IT TAKE TO GET TO THIS SPEED?

$$\left(\frac{125 \text{ MILES}}{\text{hour}} \right) \left(\frac{1609 \text{ M}}{\text{mile}} \right) \left(\frac{\text{hr}}{3600 \text{ s}} \right) = 55.87 \text{ M/s} = V_f$$

$$V_{\text{avg}} = \frac{V_f + V_i}{2}$$

$$a = \frac{V_f - V_i}{\Delta t}$$

$$\Delta t = \frac{V_f - V_i}{a} = \frac{-55.87 \text{ M/s}}{-9.81 \text{ M/s}^2} = 5.7 \text{ s}$$

$$V_f = a \Delta t$$